

# 0. Motivation and topics

**Cryptography** scientific study of techniques for securing digital information, transactions, and distributed computations.

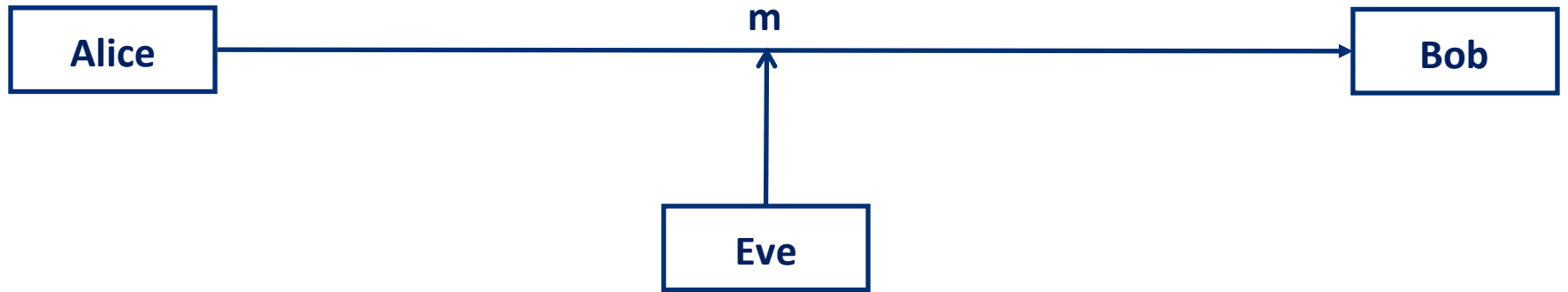
## 4 main goals

- confidentiality
- integrity
- authenticity
- non-repudiation

Course concentrates on confidentiality and encryption schemes.

Second part of semester: Course on Cryptographic Protocols discusses the other three topics

# Scenario and encryption schemes



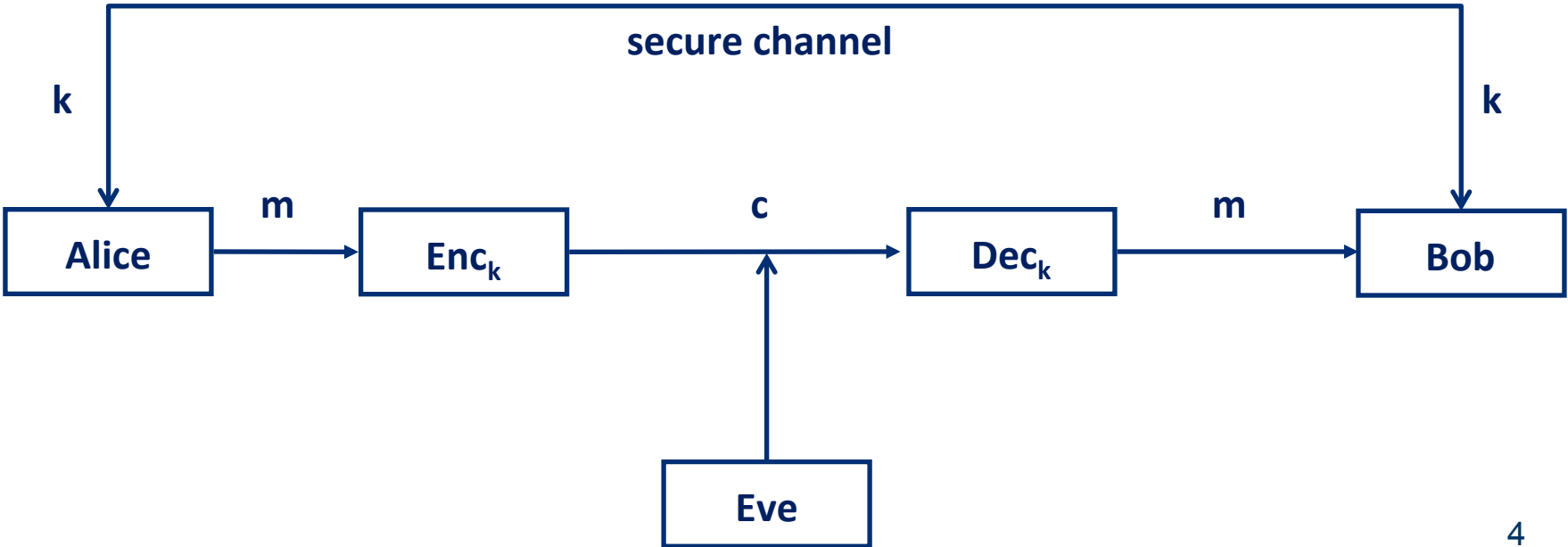
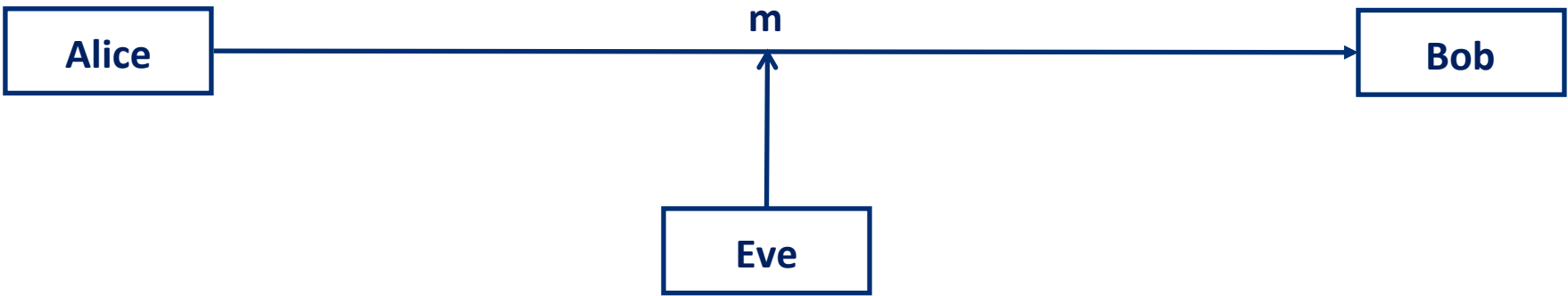
# Scenario and encryption schemes

**Definition 0** A private or symmetric encryption scheme consists of three algorithms Gen, Enc, Dec.

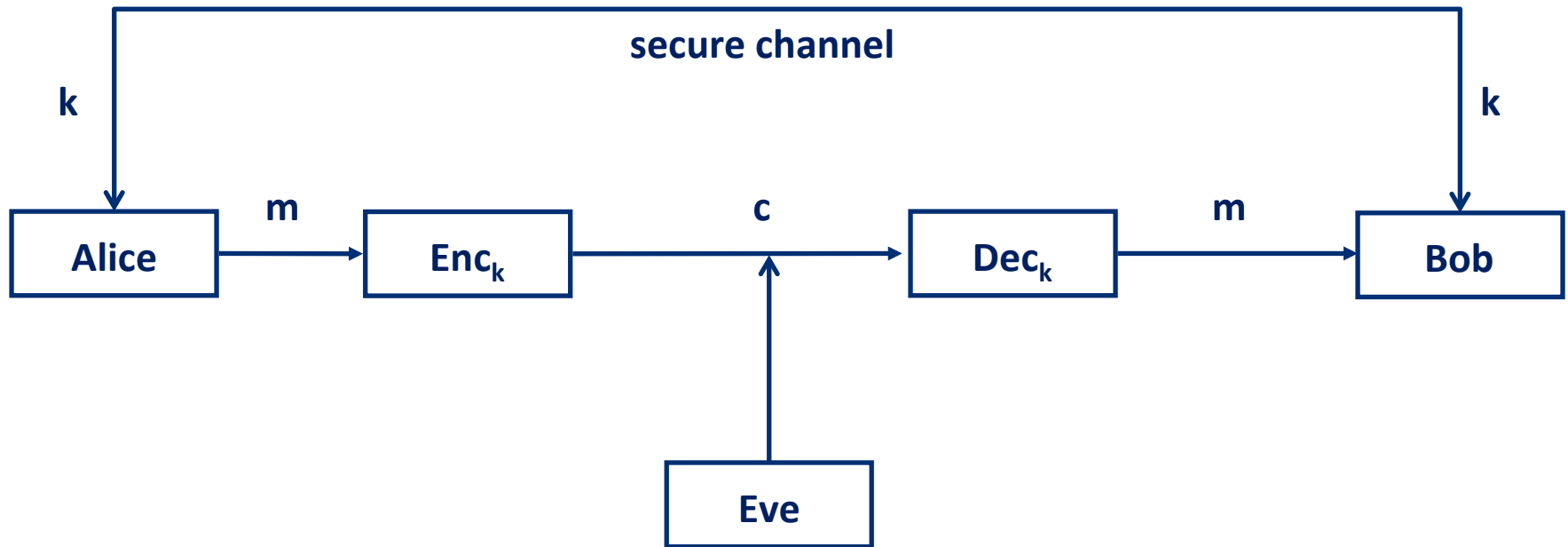
1. The key generation algorithm outputs a key  $k$ , according to some distribution on the key space  $K$ .
2. The encryption algorithm Enc, on input a key  $k$  and a plaintext message  $m$  from message space  $P$ , outputs a ciphertext  $c$ ,  
 $\text{Enc}_k(m) =: c$ .
3. The decryption algorithm Dec, on input a key  $k$  and a ciphertext  $c$  from a cipher space  $C$ , outputs a plaintext message  $m$ ,  $\text{Dec}_k(c) =: m$ .

$$\forall k \in K, m \in P : \text{Dec}_k(\text{Enc}_k(m)) = m$$

# Scenario and encryption schemes



# Scenario and encryption schemes



**Security** Eve seeing  $c$  should learn almost nothing about  $m$ .

What does this mean exactly?

How can we achieve this?

→ This course!

# Basic principles

- 0. Principle (Kerckhoff)** The encryption scheme must not be required to be secret and must be able to fall into the hands of the adversary without inconvenience.
- 1. Principle** One must formulate a rigorous and precise definition of security for a given cryptographic problem.
- 2. Principle** If the security of a cryptographic construction relies on an unproven assumption, this must be stated precisely.
- 3. Principle** Cryptographic constructions require rigorous proofs of security with respect to the security definition and the underlying assumptions.

# Assumptions

1. **Concrete assumptions** „The following mathematical/computational problem is hard to solve.“

→ factoring, discrete logarithms

2. **General assumptions** „Computationally hard problems of the following type exist.“

→ languages in  $NP \setminus P$  exist, one-way functions exist.

mostly follow 2. → foundations of cryptography

# Prerequisites

- elementary probability theory
- algorithm theory
- basic complexity theory
- very basic number theory



# Organization

## Information about this course

<http://cs.uni-paderborn.de/cuk/lehre/veranstaltungen/ss-2016/cryptography-provable-security/>

## Here you find

- handouts
- slides
- literature
- announcements

# Schedule

- Due to time conflicts lectures and tutorials have to be reorganized
- Lectures are Tuesdays 11am – 1pm, 2pm – 4pm
- Tutorials are Tuesdays 4pm – 6pm
  
- From 9am – 11am room F2.425 is reserved for the participants of this course
- During this time you can discuss exercises from the handouts
- Peter, Nils, and myself are available for questions during this time